

**Concepts of Programming Languages, CSCI 305, Fall 2021**  
**Predict Sets EPS, FIRST, & FOLLOW and Creating Parsing Table for LL Parsing,**  
**pages 88-89, Oct. 18**

EPS – epsilon predicate set – all of the non-terminals which reduce directly, or indirectly to epsilon.

Steps to create a parsing table for table-driven parsing:

Step 1. Complete an EPS, FIRST and FOLLOW table. This table has a row for each symbol: terminal and non-terminal. The sets are created using the 4 rules given near the bottom of page 88. Figure 2.24, on that page, give an algorithm for determining these values.

Step. 2 Using the EPS, FIRST and FOLLOW table, create the predict sets for the grammar using the rule:

$$\text{PREDICT}(A \rightarrow \alpha) \equiv \text{FIRST}(\alpha) \cup (\text{if EPS}(\alpha) \text{ then FOLLOW}(A) \text{ else } \Phi)$$

It is helpful to append the predict set to each production in the grammar.

Step. 3. Create the parsing table from the predict sets.

Rules for creating predict sets:

EPS( $\alpha$ ) is true if  $\alpha \Rightarrow^* \epsilon$  and false otherwise.

Text writes:  $\text{EPS}(\alpha) \equiv \text{if } \alpha \Rightarrow^* \epsilon \text{ then true else false}$

In other words:

1. For all terminals  $c$ ,  $\text{EPS}(c) = \text{false}$ .
2. For all productions  $\alpha \rightarrow \epsilon$ ,  $\text{EPS}(\alpha) = \text{true}$ .  
Do as long as more EPS values become true:
3. For production  $\alpha \rightarrow \beta$ , where  $\beta \Rightarrow^* \epsilon$ ,  $\text{EPS}(\alpha) = \text{true}$ .

FIRST( $\alpha$ ) is the set of all tokens that could be the start of an  $\alpha$ .

Text writes:  $\text{FIRST}(\alpha) \equiv \{c: \alpha \Rightarrow^* c \beta\}$

In other words:

4. For all terminals  $c$ ,  $\text{FIRST}(c) = c$
5. For production  $\alpha \rightarrow \beta$ , where  $\beta$  begins with a terminal  $c$ , add  $c$  to  $\text{FIRST}(\alpha)$ .  
Do as long as the sets keep increasing:
6. For production  $\alpha \rightarrow \beta$ , add  $\text{FIRST}(\beta)$  to  $\text{FIRST}(\alpha)$ .
7. For production  $\alpha \rightarrow \beta \delta$ , where  $\text{EPS}(\beta) = \text{true}$  add  $\text{FIRST}(\delta)$  to  $\text{FIRST}(\alpha)$ .

FOLLOW( $\alpha$ ) is the set of all tokens that could come after an  $\alpha$  in some valid program.

Text writes:  $\text{FOLLOW}(A) \equiv \{c: S \Rightarrow^+ \alpha A c \beta\}$

In other words:

8. For production  $\alpha \rightarrow \beta$  where  $\beta$  contains  $BC$  add  $\text{FIRST}(C)$  to  $\text{FOLLOW}(B)$ . ( $B$  and  $C$  may be terminals or non-terminals)  
Do as long as the sets keep increasing:
9. For production  $\alpha \rightarrow \beta$ , where  $\beta$  ends with symbol  $B$  (terminal or non-terminal), add  $\text{FOLLOW}(\alpha)$  to  $\text{FOLLOW}(B)$ .
10. For production  $\alpha \rightarrow \beta$ , where  $\beta$  ends with variables  $BC$ , but  $C \Rightarrow^* \epsilon$ , add  $\text{FOLLOW}(\alpha)$  to  $\text{FOLLOW}(B)$ .