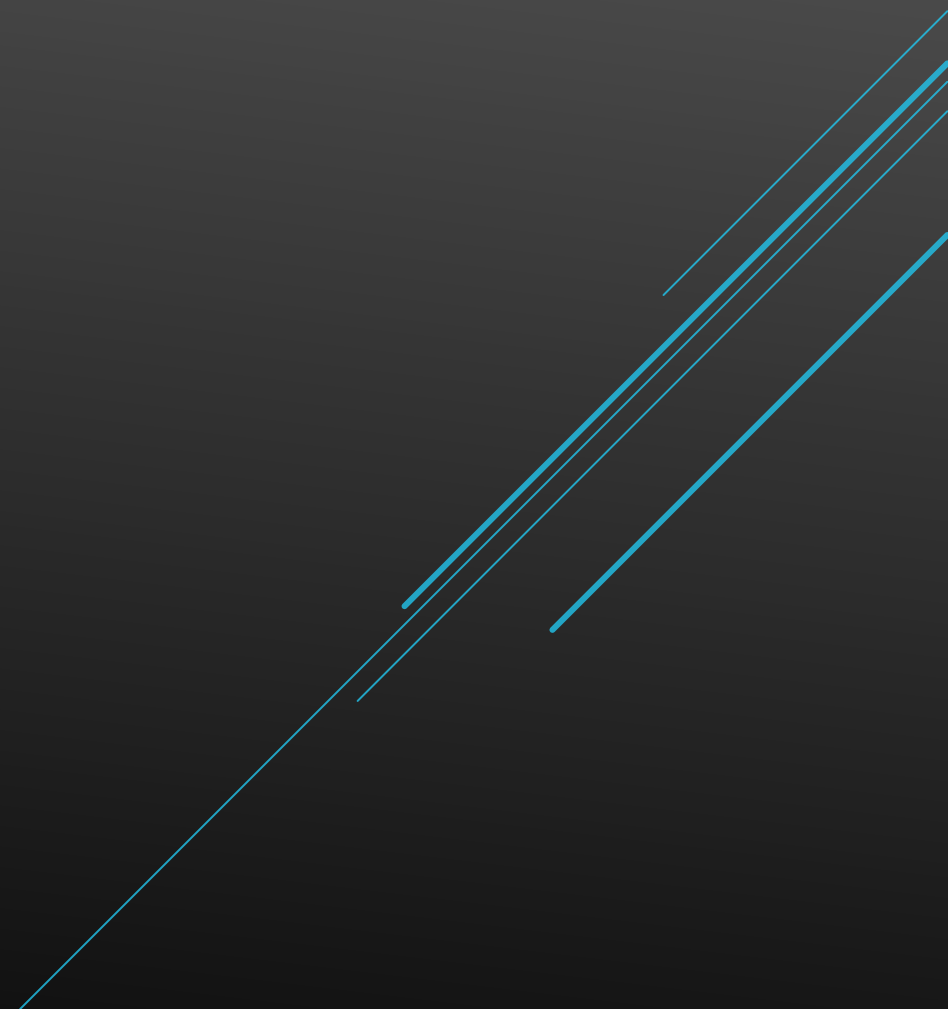


NEURAL NETWORKS

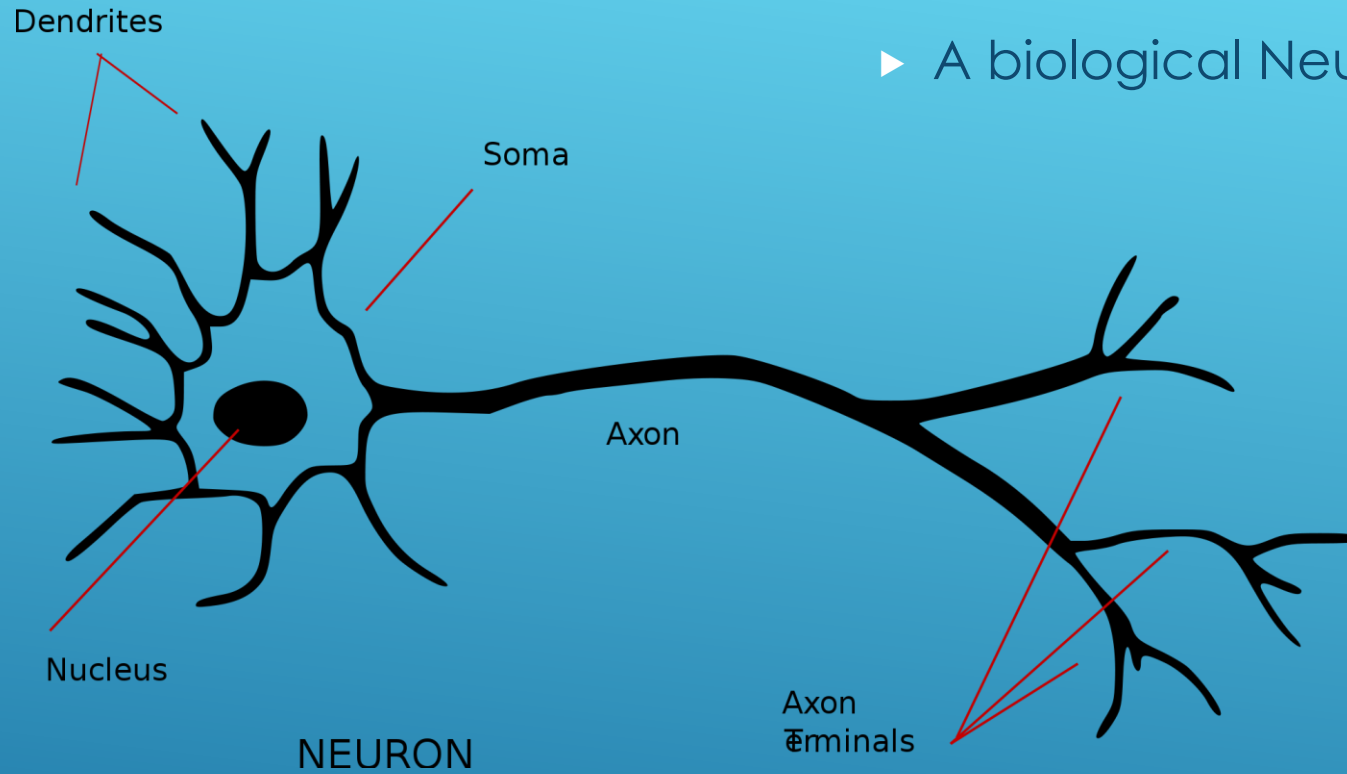
Power Hidden in Obscurity



“ I'M GOING TO TEACH YOU IN THIS LECTURE HOW TO ANSWER QUESTIONS ABOUT NEUROBIOLOGY WITH AN 80% PROBABILITY THAT YOU WILL GIVE THE SAME ANSWER AS A NEUROBIOLOGIST. ”

PROFESSOR PATRICK HENRY WINSTON

Comment to his class on Artificial Intelligence at Massachusetts Institute of Technology.



▶ A biological Neuron

THE BASIC BUILDING BLOCK OF THE BRAIN

“ AND NOW, I’M GOING TO SHOW YOU HOW TO ANSWER A QUESTION ABOUT NEUROBIOLOGY WITH 80% PROBABILITY YOU’LL GET IT RIGHT. JUST SAY, WE DON’T KNOW! ”

PROFESSOR PATRICK HENRY WINSTON

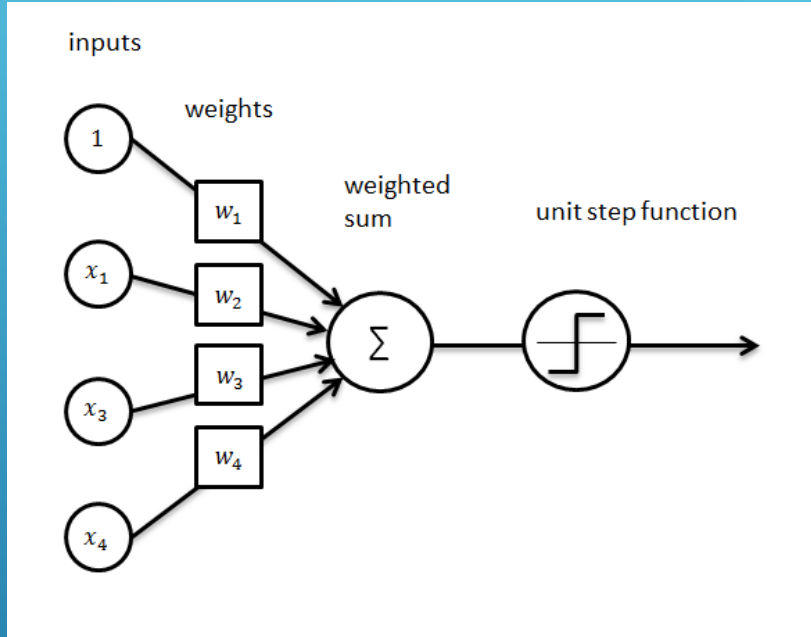
Comment to his class on Artificial Intelligence at Massachusetts Institute of Technology.

IS NEURAL NETWORKS WORTH TEACHING.

- ▶ In 2010 MIT was considering dropping neural networks from the AI curriculum. The success was not very good.
- ▶ Alex Krizhevsky, Ilya Sutskever, and Geoffrey E. Hinton from the University of Toronto brought neural networks back to the forefront with a neural net with 60 million parameters in it.
- ▶ It made some mistakes but was remarkably accurate and brought neural networks back from near extinction.



Perceptron



Emulates Neuron

- ▶ Has m inputs corresponding to features of Data Set.
- ▶ Weights each input and sums the value.
- ▶ Includes a bias of 1 and a weight
- ▶ Passes output through a sigmoid function.

NEURAL NETWORK PERCEPTRON

Executable File | 36 lines (32 sloc) | 1.24 KB

Raw Blame History

```
1  #! /usr/bin/python3
2  ## reads in file and writes out normalized data
3
4  def class_array():
5      f = open('class.csv', 'r')
6      read_array = []
7      for line in f:
8          line = line.strip()
9          read_array.append(line.split(','))
10     f.close()
11
12     #day      weekday = 0, saturday = .33, sunday = .66, holiday = 1;
13     #seasons  summer = 0, autumn = .33, winter = .66, spring = 1;
14     #wind     none = 0, normal = .5, high = 1;
15     #Rain     none = 0, slight = .5, heavy = 1;
16     #answer   cancelled = 0, very late = .33, late = .66, on time = 1;
17     normalized_array = []
18     entry=[]
19     for list in read_array:
20         for s in list:
21             if s == 'weekday' or s == 'summer' or s == 'none' or s == 'cancelled':
22                 entry.append(0)
23             elif s == 'saturday' or s == 'autumn' or s == 'very late':
24                 entry.append(.33)
25             elif s == 'normal' or s == 'slight':
26                 entry.append(.5)
27             elif s == 'sunday' or s == 'winter' or s == 'late':
28                 entry.append(.66)
29             elif s == 'holiday' or s == 'spring' or s == 'on time' or s == 'heavy' or s == 'high':
30                 entry.append(1)
31         if entry:
32             normalized_array.append(entry)
33         entry = []
34
35     return normalized_array
```

CLASS DATA

- ▶ Normalize data and output to an list of inputs
- ▶ Each point of classification data is assigned a numerical value from 0 to 1.

Executable File | 32 lines (28 sloc) | 952 Bytes

Raw Blame History

```
1  #!/usr/bin/python3
2  ## reads in file and writes out normalized data
3  def weather_array():
4      f = open('weather.csv', 'r')
5      read_array = []
6      for line in f:
7          line = line.strip()
8          read_array.append(line.split(','))
9      f.close()
10
11
12  #outlook rain = 0, overcast = .5, sun = 1;
13  #temperature cool = 0, mild = .5, hot = 1;
14  #humidity normal = 0, high = 1;
15  #windy False = 0, true = 1;
16  #answer no = 0, yes = 1;
17      normalized_array = []
18      entry=[]
19      for list in read_array:
20          for s in list:
21              if s == 'rainy' or s == 'cool' or s == 'normal' or s == 'FALSE' or s == 'no':
22                  entry.append(0)
23              elif s == 'overcast' or s == 'mild':
24                  entry.append(.5)
25              elif s == 'sunny' or s == 'hot' or s == 'high' or s == 'TRUE' or s == 'yes':
26                  entry.append(1)
27          if entry:
28              normalized_array.append(entry)
29          entry = []
30
31      return normalized_array
```

WEATHER DATA

- ▶ Normalize data and output to an list of inputs
- ▶ Each point of classification data is assigned a numerical value from 0 to 1.


```
13 #returns layer of weights randomized -.5 <= w <= .5
14 def randomize_node_weights(num):
15     node = []
16     for i in range(0,num):
17         node.append(random.uniform(-.5,.5))
18
19     return node
20
21 #returns fully populated neural net of n layers by m nodes/layer
22 def define_neural_net(n,m):
23     layers = []
24     for i in range(0,n):
25         layers.append(randomize_node_weights(4))
26     return layers
27
```

```
#returns entry passed through node
def return_weighted_input(node=[],input=[]):
    weighted_value = 0
    weighted_input = []
    for i in range(0,len(node)):
        weighted_value += BIAS_VALUE
        for j in range(0,len(input)):
            #summation of weights to each node.
            weighted_value += (node[i]*input[j])
        weighted_input.append(1/(1+math.exp(-1*weighted_value)))
    return weighted_input
```

MY NEURAL NETWORK WAS LACKING

MY UNDERSTANDING CAME MUCH TO LATE

In trying to finish my program and understand Backward Propagation I came upon a few flaws with my design. I miscalculated the number of weights for each layer. Structurally my code has to change some to allow for proper weighting of each synapse. The next couple slides make clear a simple walk through of a proper neural net.



Step 0: Read input and output

X				wh			bh			hidden_layer_input			hidden_layer_activations			wout	bout	output	y	E
1	0	1	0															1		
1	0	1	1															1		
0	1	0	1															0		

Step 1: Initialize weights and biases with random values (There are methods to initialize weights and biases but for now initialize with random values)

X				wh			bh			hidden_layer_input			hidden_layer_activations			wout	bout	output	y	E
1	0	1	0	0.42	0.88	0.55	0.46	0.72	0.08						0.30	0.69		1		
1	0	1	1	0.10	0.73	0.68									0.25			1		
0	1	0	1	0.60	0.18	0.47									0.23			0		
				0.92	0.11	0.52														

Borrowed from [Analyticsvidhya.com](https://analyticsvidhya.com)

STEPS THROUGH THE METHODS

Step 2: Calculate hidden layer input:

$hidden_layer_input = matrix_dot_product(X, wh) + bh$

X				wh			bh			hidden_layer_input			hidden_layer_activations			wout	bout	output	y	E
1	0	1	0	0.42	0.88	0.55	0.46	0.72	0.08	1.48	1.78	1.10				0.30	0.69		1	
1	0	1	1	0.10	0.73	0.68				2.40	1.89	1.61				0.25			1	
0	1	0	1	0.60	0.18	0.47				1.48	1.56	1.27				0.23			0	
				0.92	0.11	0.52														

Step 3: Perform non-linear transformation on hidden linear input

$hiddenlayer_activations = sigmoid(hidden_layer_input)$

X				wh			bh			hidden_layer_input			hidden_layer_activations			wout	bout	output	y	E
1	0	1	0	0.42	0.88	0.55	0.46	0.72	0.08	1.48	1.78	1.10	0.81	0.86	0.75	0.30	0.69		1	
1	0	1	1	0.10	0.73	0.68				2.40	1.89	1.61	0.92	0.87	0.83	0.25			1	
0	1	0	1	0.60	0.18	0.47				1.48	1.56	1.27	0.81	0.83	0.78	0.23			0	
				0.92	0.11	0.52														

Step 4: Perform linear and non-linear transformation of hidden layer activation at output layer

$output_layer_input = matrix_dot_product(hiddenlayer_activations * wout) + bout$

$output = sigmoid(output_layer_input)$

X				wh			bh			hidden_layer_input			hidden_layer_activations			wout	bout	output	y	E
1	0	1	0	0.42	0.88	0.55	0.46	0.72	0.08	1.48	1.78	1.10	0.81	0.86	0.75	0.30	0.69	0.79	1	
1	0	1	1	0.10	0.73	0.68				2.40	1.89	1.61	0.92	0.87	0.83	0.25		0.80	1	
0	1	0	1	0.60	0.18	0.47				1.48	1.56	1.27	0.81	0.83	0.78	0.23		0.79	0	
				0.92	0.11	0.52														

Step 10: Update weight at both output and hidden layer

$w_{out} = w_{out} + \text{matrix_dot_product}(\text{hiddenlayer_activations}.\text{Transpose}, d_output) * \text{learning_rate}$

$w_h = w_h + \text{matrix_dot_product}(X.\text{Transpose}, d_hiddenlayer) * \text{learning_rate}$

X				wh			bh			hidden_layer_input			hidden_layer_activations			wout	bout	output	y	E
1	0	1	0	0.42	0.88	0.55	0.46	0.72	0.08	1.48	1.78	1.10	0.81	0.86	0.75	0.29	0.69	0.79	1	0.21
1	0	1	1	0.10	0.73	0.68				2.40	1.89	1.61	0.92	0.87	0.83	0.25		0.80	1	0.20
0	1	0	1	0.60	0.18	0.47				1.48	1.56	1.27	0.81	0.83	0.78	0.23		0.79	0	-0.79
				0.92	0.11	0.51														

Slope hidden layer			error at hidden layer		
0.15	0.12	0.19	0.010	0.009	0.008
0.08	0.11	0.14	0.010	0.008	0.008
0.15	0.14	0.17	-0.039	-0.033	-0.031

Slope Output
0.17
0.16
0.17

E
0.21
0.20
-0.79

Learning Rate
0.1

delta hidden layer		
0.002	0.001	0.002
0.001	0.001	0.001
-0.006	-0.005	-0.005

delta output
0.035
0.033
-0.131

REFERENCES

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