$A \le B \Leftrightarrow A + C \le B + C$ $\begin{array}{cccc}                                  $	Adding don't swap	Adding the same quantity to each side of an inequality gives an equivalent inequality.
$A \le B \Leftrightarrow A - C \le B - C$ $x + 3 > 2$ $-3 - 3$ $x > -1$	Subtracting don't swap	Subtracting the same quantity from each side of an inequality gives an equivalent inequality.
If C>0, then A $\leq$ B $\Leftrightarrow$ CA $\leq$ CB $ \frac{3}{3} \times 2 $ $ \frac{3}{3} \times 2 \cdot 3 $ $ \times 2 \cdot 3 $ $ \times 2 \cdot 3 $ $ \times 2 \cdot 5 $	Positive multiply or divide don't swap	Multiplying each side of an inequality by the same positive quantity gives an equivalent inequality.
If C<0, then A≤B $\Leftrightarrow$ CA≥CB $-\frac{3}{3} \times \frac{2}{-\frac{3}{3}} -\frac{\frac{x}{3}}{-\frac{2}{3}} = \frac{2}{3} \cdot \frac{-\frac{x}{3}}{2} = \frac{2}{3} \cdot \frac{-\frac{x}{3}}{3} = \frac{2}{3} \cdot \frac{\frac{x}{3}}{3} = \frac{2}{3} \cdot \frac{\frac{x}{3}}{3} = \frac{2}{3} = \frac{2}{3} = \frac{2}{$	Negative multiply or divide SWAP	Multiplying each side of an inequality by the same negative quantity reverses the direction of the inequality.
If A>0 and B>0, then $A \le B \iff 1/A \ge 1/B$ $\frac{1}{x} > \frac{1}{2}$ $x < 2$	Reciprocal SWAP	Taking reciprocals of each side of an inequality involving positive quantities reverses the direction of the inequality.
If A≤B and C≤D, then A+C≤B+D		Inequalities can be added.
If A≤B and B≤C, then A≤C		Inequality is transitive.